

## Tuned Amplifier

Amplifier

DC amplifier (from zero to about 10Hz)

Audio amplifier (20Hz to 20kHz)

Radio " (a few kHz to hundred of MHz)

\* Some times selection of a desired freq. or a narrow band of frequencies for amplification is our need, such as in radio/ TV the receiver is required to pick up and amplify the desired radio freq. while rejecting all other.

Amplifier, amplifying a signal of specific freq. or narrow band of frequencies is known as tuned Amplifier.

\* Employed for amplification of high or radio freq. signals and can't used for amplification of audio-freq. signals, because :-

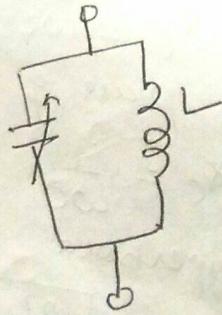
① Tuned amp' select & amplifies a single freq. while AF are mixtures of frequencies in the freq. range of (20Hz - 20kHz)

② for amplification of low freq. signals large valued inductor & capacitors are required  $f_r = \frac{1}{2\pi\sqrt{LC}}$

Tuned The centre of this freq. band is the resonant freq. of the tuned ckt.

resonant L-C circuit as a load provides high impedance and so the tuned transistor amplifier can provide high gain because gain of a transistor depends on the value of its load impedance.

only narrow band of frequencies around the resonant freq. would be amplified well while other frequencies would be discriminated

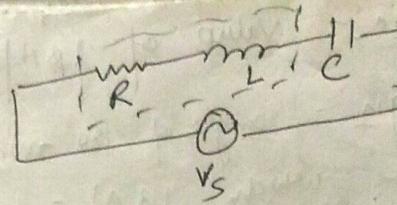


Resonant Ckt :-

① series resonant ckt :-

$$Z = \sqrt{R^2 + (X_L - X_C)^2}$$

$$= \sqrt{R^2 + (wL - \frac{1}{wC})^2}$$



① when  $X_L = X_C$

$$\textcircled{2} \quad Z = R$$

③ current flowing through the ckt is maximum and inphase with the applied voltage  $I = V/R$ .

$$\textcircled{4} \quad V_C = V_L \text{ but opposite in phase}$$

$$\textcircled{5} \quad \text{power factor} = 1$$

The ckt is said to be in resonance and the freq. at which it occurs is known as resonant freq.

$$\omega L = \frac{1}{\omega C} \Rightarrow$$

$$\omega^2 = \frac{1}{LC} = (2\pi f)^2 = \frac{1}{LC} \Rightarrow 2\pi f = \frac{1}{\sqrt{LC}}$$

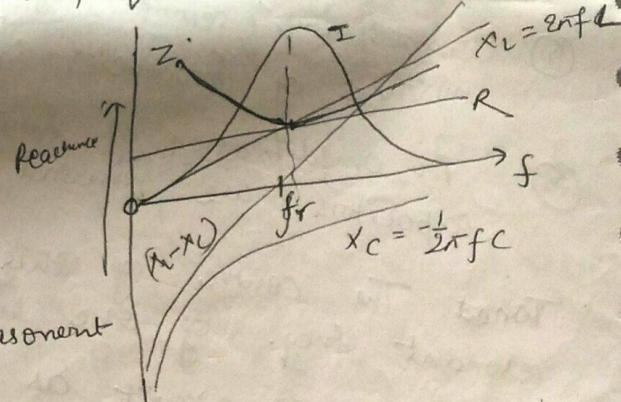
since voltage is max. so it is called voltage resonance.

The series resonance is called an acceptor circuit because such a circuit accepts currents at one particular freq. but rejects current of other frequencies.

$X_L = wL$  so represented by straight line passing through the origin.

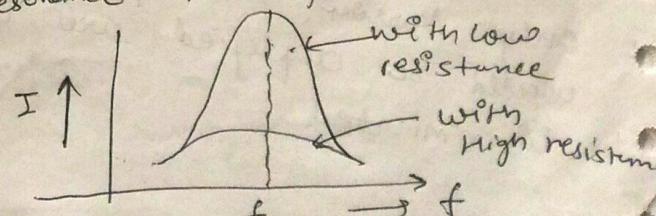
$X_C = \frac{1}{wC}$  represented by rectangular hyperbola.

$$Z = \sqrt{R^2 + (X_L - X_C)^2} \text{ is minimum at resonant freq. } f_r$$



- \* At freq. lower than resonant freq. fr the impedance  $Z$  is large and capacitive as  $X_C > X_L$  & power factor is leading
- \* At higher freq. than fr  $Z$  is again large but inductive  $X_L > X_C$  and power factor is lagging. At resonance power factor = 1

Resonance curve :-



Selectivity and Q.W. :- In low resistance circuit the resonance curve is sharply peaked and such a circuit is said to be sharply resonant or highly selective.

\* High resistance Ckt have flat resonance curve and it is said to have poor selectivity.

$$\text{Actual power } P = I^2 R = \left(\frac{I_{\max}}{\sqrt{2}}\right)^2 R = \frac{I_{\max}^2}{2} R = \frac{1}{2} P_{\max}$$

$$P = \frac{1}{2} \times \text{Power i/p at resonance}$$

At half power points :-

$$\textcircled{1} \text{ Current } \frac{I_{\max}}{\sqrt{2}}$$

$$\textcircled{2} \text{ Impedance } = \sqrt{2} R = \sqrt{2} Z_{\min}$$

$$\textcircled{3} P_1 = P_2 = \frac{P_{\max}}{2}$$

$$\textcircled{4} \text{ Phase angle } \phi = \pm 45^\circ \text{ or } \frac{\pi}{4} \text{ radians}$$

Quality factor :- defined by :-

\textcircled{1} It may be given as the voltage magnification that the circuit produces at resonance.

$$\text{Supply voltage } V = I_{\max} R, \text{ voltage across inductance or capacitance} = I_{\max} X_L = I_{\max} \frac{X_C}{R}$$

$$\text{Voltage magnification} = \frac{I_{\max} X_L}{I_{\max} R} = \frac{X_L}{R} = \frac{\omega L}{R} = \frac{1}{WRC}$$

$$Q = \frac{\omega L}{R} = \frac{2\pi f_r L}{R} = \frac{2\pi f_r L}{2\pi \sqrt{L C}} = \frac{1}{R} \sqrt{\frac{L}{C}}$$

\textcircled{2} Q-factor of a coil is a measure of its efficiency of energy storage when it carries ac.

$$Q = 2\pi \times \frac{\text{max energy stored}}{\text{Energy dissipation per cycle}} = \frac{2\pi \frac{1}{2} L I_{\max}^2}{\frac{I_{\max}^2 R}{2} / f_r}$$

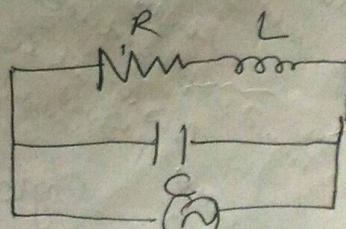
$$= 2\pi \frac{L}{R} \times f_r = \frac{\omega L}{R}$$

\textcircled{3} higher value of Q-factor means - higher voltage magnification & high selectivity.  $Q = \frac{\text{Resonant freq}}{\text{BW}}$

Parallel or current Resonance :-

$$f_r = \frac{1}{2\pi \sqrt{LC}}$$

$$\text{effective impedance} = \frac{L}{RC}$$

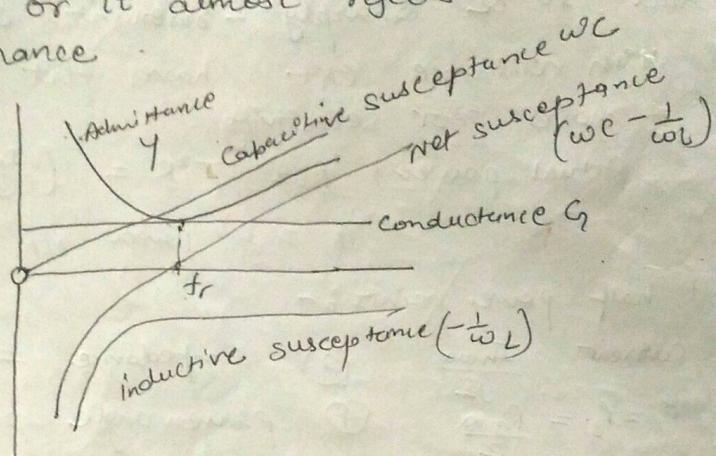
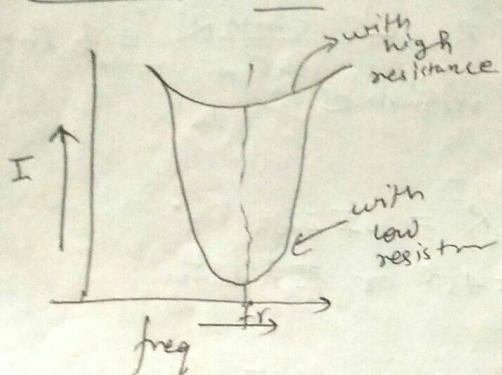


When impedance is purely resistive, maximum in magnitude =  $L/R$

This ckt is also known as rejector ckt, because at resonant freq. the line current is minimum or it almost rejects it.

\* Also called current resonance

### 1st Resonance :-



freq. lower than resonant freq, the inductive susceptance is more than capacitive susceptance. therefore line current lags behind the applied voltage.

for freq > resonance freq. capacitive susceptance is large so current leads the voltage.

B&B Quality factor :-  $Q = \frac{X_L}{R} = \frac{2\pi f_r L}{R}$

higher the value of Q, the more selective is the tuned ckt.

Advantages of Tuned ckt :- ① High selectivity

- ② Small collector voltage
- ③ Small power

Tuned Amplifier

Large signal - amplification of large signal at RF ~ uses class B & C operation  
(Class A can't be due to low efficiency)

Disadvantage:-  
High selectivity  $\rightarrow$  high Q factor  
Low Q  $\rightarrow$  narrow B.W.  
So Tuned amp's reduce the B.W. Thus it is called potential instability

Single tuned  
One 1st tuned ckt

Small signal - amplification of small signal at R.F. uses class A

Double tuned

Two inductively coupled tuned ckt.  
overcomes potential instability.